## Mathematics 124E, 124G <br> bonus problem, due November 26

Here is the equation of an ellipse: $x^{2} / 9+y^{2} / 25=1$. Consider a point $P$ lying on the ellipse in the first quadrant. Let $L_{N}$ be the "normal line" through $P$. That is, $L_{N}$ is the line through $P$ which is perpendicular to the tangent line at $P$. Let $x_{N}$ be the $x$-intercept of the normal line, and let $y_{N}$ be its $y$-intercept. As $P$ goes from $(3,0)$ to $(0,5)$, how do $x_{N}$ and $y_{N}$ behave?

First make a guess as to their behavior, just based on the picture and your intuition. Then use calculus to solve the problem. [It's probably easiest to use implicit differentiation.]


As with the first extra-credit problem, you may hand in joint work, collaborating in groups of at most four. In addition to your names, please include the section for each collaborator.

