1. **[5 points]** Find a value of *x* for which the following vectors are linearly **dependent**:

$$\begin{bmatrix} 5\\-1\\2 \end{bmatrix}, \begin{bmatrix} 7\\-4\\8 \end{bmatrix}, \begin{bmatrix} 1\\5\\x \end{bmatrix}$$

reduce
this matrix:
$$\begin{bmatrix} 5&7&1\\-1&-4&5\\2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&5\\5&7&1\\2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&5\\5&7&1\\2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&5\\-1&-4&5\\2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&5\\-2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&-4&5\\-2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&-4&-4\\-2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&-4&-4&-4\\-2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&-4&-4&-4\\-2&8&x \end{bmatrix}, \begin{bmatrix} -1&-4&-4&-4&-4\\-2&8&2&-4&-4\\-2&8&2&-4&-4&-4\\-2&8&2&-4&-4&-4\\-2&8&2&-4&-$$

2. [2 points] For that value of x, describe span $\left\{ \begin{bmatrix} 5\\-1\\2 \end{bmatrix}, \begin{bmatrix} 7\\-4\\8 \end{bmatrix}, \begin{bmatrix} 1\\5\\x \end{bmatrix} \right\}$ geometrically. Well, there's a row of all O's in $\left\{ \begin{bmatrix} 5\\-1\\2 \end{bmatrix}, \begin{bmatrix} 7\\-4\\8 \end{bmatrix}, \begin{bmatrix} 1\\5\\x \end{bmatrix} \right\}$ geometrically. the above matrix, so it's nor all of \mathbb{R}^3 . The span is just a plane in \mathbb{R}^3 . 3. [3 points] Find all values of x for which the following vectors are linearly dependent.

Any real number! There $\begin{bmatrix} 1\\0\\7 \end{bmatrix}, \begin{bmatrix} 5\\-1\\2 \end{bmatrix}, \begin{bmatrix} 7\\-4\\8 \end{bmatrix}, \begin{bmatrix} 1\\5\\x \end{bmatrix}$ dimensions so they are always linearly dependent.