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Spring 2015
Midterm \#1


Section: $\qquad$

Instructions:

- Your exam contains 3 problems.
- Your exam should contain 6 pages; please make sure you have a complete exam.
- Box in your final answer when appropriate.
- Unless stated otherwise, you MUST show work for credit. No credit for answers only. If in doubt, ask for clarification.
- Your work needs to be neat and legible.
- You are allowed one $8.5 \times 11$ sheet of notes (both sides). Graphing calculators are NOT allowed; scientific calculators are allowed.
- Round off your final answers to 2 decimal places, unless you are asked for exact answers.

Problem \#1 (15 pts) $\longrightarrow$

Problem \#2 (20 pts) $\longrightarrow$

Problem \#3 (15 pts) $\qquad$

TOTAL (50 pts)

1. (a) Write the equation of the line through $P(1,0)$ and parallel to the line $5 x+2 y-1=0$
(b) Write the equation of the line tangent to the circle of radius $\sqrt{5}$ centered at $(1,0)$ at the point $Q(3,1)$.
2. Tom's house is 10 miles West and 4 miles South of Bob's house. Mary's house is 2 miles East and 1 mile North of Bob's house. At time $t=0$ Tom starts jogging from his house to Mary's house. Tom's speed is 6 miles/hour. Consider a coordinate system centered at Bob's house.
(a) Write parametric equations for Tom's position $t$ hours after he starts jogging
(b) What is Tom's position 20 min into his jog?
(continued from the previous page)
(c) Bob is baking a cake and you can smell the cake when you are within 0.5 miles of Bob's house. For how long during his jog from his house to Mary's house does Tom smell the cake ?
3. John invested $\$ 5,000$ in the year 2000. Let $v(t)$ be the value of John's investment $t$ years after 2000. Assume that for $0 \leq t \leq 10, \mathrm{v}(\mathrm{t})$ can be modeled by a parabola, using the following information: in the first eight years after his initial investment John's money grew to a maximum of $\$ 10,000$ in 2008 and then dropped in value from 2008 to 2010. For the next 4 years, from 2010 to 2014, John's investment increased at a constant rate of $\$ 1,200$ a year. Let $\mathrm{v}(\mathrm{t})$ be the value of John's investment t years after 2000. Write a formula for $\mathrm{v}(\mathrm{t})$, valid for $0 \leq t \leq 14$
(continued from the previous page)
When in the time range between the years 2000 and 2014 was John's investment worth $\$ 8000$ ? (give your answer as a decimal number).
