MIDTERM EXAM: Wednesday, May 4, in class.

Reading:

• 4.6 (except pp. 191–192), and 4.9. (We are skipping 4.7 and 4.8, and also the last part of 4.5, starting right after Exercise 4.22.)

Written Assignment:

- A. Exercise 4.22 (p. 182). (For this exercise, assume as Bär does that a surface of revolution is given by a single parametrization.)
- B. Exercise 4.30 (p. 202).
- C. Let a be a positive constant, and let $S \subset \mathbb{R}^3$ be the cylinder defined by $x^2 + y^2 = a^2$, with the first fundamental form.
 - (a) Find all the geodesics in S. [Hint: use Exercise 4.18.]
 - (b) Let p be the point $(a, 0, 0) \in S$. Choose an orthonormal basis for T_pS , and compute explicit formulas for the Riemannian normal coordinate parametrization and the geodesic polar coordinate parametrization associated with the chosen frame.
 - (c) What is the size of the largest open disk centered at the origin in \mathbb{R}^2 on which a Riemannian normal coordinate parametrization can be defined?