

Part II:

5. For each of the following statements, do the following things:

- Translate it into symbols. (Be sure that your symbolic statement explicitly includes implied universals and domains of quantifiers.)
- Negate the symbolic statement and simplify. (In particular, this means to remove parentheses in expressions of the form $\sim(\dots)$.)
- Translate the negated statement back into a clear and precise English sentence, without using the word “no” or “not.”

- (a) The square of every real number is positive.
- (b) The square of some real number is positive.
- (c) There is an integer that is larger than its square.
- (d) Every integer is larger than its square.
- (e) There is no integer whose square is greater than 0 and less than 1.
- (f) There is at least one integer whose square is greater than 0 and less than 1.
- (g) Not every integer has a positive square.
- (h) If x is a real number such that $x^2 - x < 2$, then $x < 2$ and $x > -1$.
- (i) There is a real number x greater than 2 such that $x^2 - x > 2$.